#### Heap Models For Exploit Systems IEEE Security and Privacy LangSec Workshop 2015

Julien Vanegue

Bloomberg L.P. New York, USA.

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# Big picture : The Automated Exploitation Grand Challenge

- A Security Exploit is a program taking advantage of another program's vulnerability to allow untrusted code execution or obtention of secret information.
- Automated Exploitation is the ability for a computer to generate an exploit without human interaction.
- The Automated Exploitation Grand Challenge is a list of core problems in Automated Exploitation. Most (all?) problems are unsolved today for real-world cases.
- Problems relate to: Exploit Specification, Input Generation, State Space Representation, Concurrency Exploration, Privilege Inference, etc.
- The complete challenge is described at: http://openwall.info/wiki/\_media/people/jvanegue/ files/aegc\_vanegue.pdf

Today's topic: Heap layout prediction - AEGC Problem I

Disclaimer: this is work in progress research.

Tooling is still in development (no evaluation provided).

Presentation acts on a simplified heap.

Heap can be **non-deterministic**, we focus here on the **deterministic** heap behavior only.

#### Why is this an important problem?

- Nowadays, heap-based security exploits are common intrusion software.
- Exploit mitigations have made writing these exploits an expert's job.
- Heap allocator implementations are vastly different across Operating Systems.
- Current research on *heap shape analysis* does not address internal heap allocator semantics.
- There is close to no formal research on faithful heap layout abstractions.
- Agenda: Formalize generic heap exploitation technique based on layout prediction.

#### Reminder: Heap vulnerability classes

- Heap-based buffer overflow Overwrite adjacent memory chunk.
- Double free / Invalid free Free data that is not a valid allocated chunk.
- Use-after-free A pointer that was freed is cached and incorrectly used.
- Information disclosures An attacker can read the content of memory.

# Reminder: Heap-based buffer overflow

- 1: char\* do\_strdup(char \*input, unsigned short len) {
- 2: unsigned short size = len + 1; // May overflow short capacity
- 3: char \*ptr = malloc(size); // allocate small amount of memory

- 4: if (ptr == NULL)
- 5: return (NULL);
- 6: memcpy(ptr, input, len); // Buffer overflow may happen
- 7: return ptr;
- 8: }

#### Reminder: Invalid free

1: int posnum2str(int x) { 2: char \*result; 3: if (x  $\leq$  0) goto end; // Early exit 4: result = calloc(20, 1); 5: if (result == NULL) 6: return (NULL); 7: if (num2str(result, x) == 0) 8: return (result); 9: end: free(result); // May free uninitialized pointer 10: return (NULL); 11: }

#### Reminder: Use-after-free

- 1: char \*compute(int sz) {
- 2: char \*ptr = malloc(sz);
- 3: if (ptr == NULL) return (NULL);
- 4: int len = f(ptr); // Assume f will free ptr under some conditions

- 5: ptr[len] = 0x00; // ptr was already freed!
- 6: **return** (ptr);
- 7: }

#### Reminder: Information disclosure

**Require: sock** : Valid network socket Ensure: True on success, False on failure 1: char buff[MAX\_SIZE] 2: int readlen = recv(sock, buff, MAX\_SIZE); 3: if (readlen  $\leq$  0) return *False*; 4: rec\_t \*hdr = (rec\_t \*) buff; 5: char \*out = malloc(sizeof(rec\_t) + hdr->len); 6: if (NULL == out) return (false); 7: memcpy(out, buff + sizeof(rec\_t), hdr->len); // Read out of bound 8: out->len = hdr->len: 9: send(sock, out, hdr->len + sizeof(rec\_t)); // Send memory to attacker 10: free(out); 11: return True

#### Original AEGC problem I harness test

```
1: struct s1 { int *ptr; } *p1a = NULL, *p1b = NULL, *p1c = NULL;
2: struct s2 { int authenticated; } p^2 = NULL;
3: F() {
4: p1a = (struct s1^*) calloc(sizeof(struct s1), 1);
5: p1b = (struct s1^*) calloc(sizeof(struct s1), 1);
6: p1c = (struct s1^*) calloc(sizeof(struct s1), 1);
7: }
8: G() { p2 = (struct s2^*) calloc(sizeof(struct s2), 1); }
9: H() { free(p1b); }
10: I() { memset(p1a, 0x01, 32); } // Buffer overflow
11: J() { if (p2 && p2->authenticated) puts(you win); } // Go here
12: K() { if (p1a && p1a->ptr) *(p1a->ptr) = 0x42; } // Avoid crash
```

#### Goal: Automate heap walk = { F(); H(); G(); I(); J(); J();

#### What do these vulnerabilities have in common?

- In heap overflow case, attacker expects to place an interesting chunk after the overflowed chunk.
- In use-after-free case, attacker expects to place controlled chunk in freed memory before it is used incorrectly.
- In invalid free case, attacker expects to place controlled heap memory at location of invalid free.
- In information disclosure, attacker expects to place secret in heap just after chunk allowing disclosure.
- In harness test of Problem I (previous slide), we expect chunk p2 to be reusing p1b's memory after it was freed.
- Summing up: Exploitation depends on location of chunks relative to each others.
- What is a good layout abstraction for the heap?

#### Studied allocators

- Doug Lea's malloc (DLMalloc) Linux.
- PTMalloc (DLMalloc + thread support) Linux.
- Windows heap (including Low Fragmentation Heap).
- ▶ NOT studied: JEmalloc (FreeBSD / NetBSD / Firefox).
- NOT studied: Garbage Collection (Mark-and-Sweep algorithm etc).

#### Simplified informal heap allocation algorithm

- 1. Try to use one of the cached (last freed) chunks.
- 2. Try to find a fitting chunk in current free chunks list.
  - If found and requested size exceeds found chunk size and remainder is bigger or equal than the minimal chunk size, split found chunk and put remainder in appropriate list (the *fast cache list* if there is one, otherwise in the list of corresponding size range).
- 3. Try to coallesce two free chunks from current free list.
  - If coallesced chunk now big enough, also split coallesced chunk as in step 2.

- 4. If still fails, try steps (2,3) with each free list in order.
- 5. If still fails, try to extend the heap.
- 6. Otherwise, return an error (NULL).

#### Formal heap definition

 $\mathcal{H} = (\mathcal{L}_{\leq}, \Gamma_{a}, \Gamma_{f}, ADJ, Top)$  where:

- ▶  $I = (c_1, c_2, ..., c_n)$  are individual memory chunks in list I.
- F<sub>a</sub>: *l* → *int* is a **counter of allocated chunks** for a given size range.
- F<sub>f</sub> : I → int is a counter of free chunks for a given size range.
- ► ADJ : c × c → B is the adjacency predicate (true if chunks are immediately adjacent).
- Top is the current chunk in  $\mathcal{H}$  with the highest address.

#### Heap semantics

Heap primitives:

(F)ree : A memory chunk is freed.
(R)ealloc : A memory chunk is extended.
(A)lloc : A memory chunk is allocated.
(C)oallesce : Two memory chunks are merged.
(S)plit : A big memory chunk is split into two smaller ones.
(E)xtend : The heap is extended by a desired size

Heap transition system:

$$\begin{array}{l} \mathcal{H}' \longleftarrow \mathsf{F} \mathsf{p} \ \mathcal{H} \\ (\mathcal{H}', p2) \longleftarrow \mathsf{R} \mathsf{p1} \mathsf{sz} \ \mathcal{H} \\ (\mathcal{H}', p) \longleftarrow \mathsf{A} \mathsf{sz} \ \mathcal{H} \\ (\mathcal{H}', p3) \longleftarrow \mathsf{C} \mathsf{p1} \mathsf{p2} \ \mathcal{H} \\ (\mathcal{H}', p2, p3) \longleftarrow \mathsf{S} \mathsf{p1} \mathsf{off} \ \mathcal{H} \\ (\mathcal{H}', p) \longleftarrow \mathsf{E} \mathsf{sz} \ \mathcal{H} \end{array}$$

## Key ideas

- 1. There are two levels of semantics: physical and logical:
  - The physical semantic is concerned with the adjacency of chunks in memory.
  - The logical semantic is concerned with the population of chunk lists.
  - Our goal is to reconcile physical and logical heap semantics.
- 2. Heap primitives must include user interactions (F, R, A).
- 3. Core internal heap mechanisms are defined as first class primitives (C, S, E).
- 4. An Adjacency predicate **ADJ** (used in S and E only) defines the physical semantic. Everything else is house cleaning and defines the logical semantic using two counters per list.
- 5. Defining the heap transition system allows us to reduce the problem to a reachability algorithm.

# Prerequisite: Heap **List Fitness** algorithm (here *best fit* in ML-style syntax)

- 1: let **best** (cur:Chunk)(sz:int)(cand:Chunk) =
- 2: if (size(cur)  $\geq$  sz and
- 3:  $(cand = \perp or (size(cur) sz \le size(cand) sz)))$
- 4: then cur else cand;;
- 5: let rec findfit (choice:  $a \rightarrow b \rightarrow c \rightarrow d$ )(l:list)(sz:int)(cand:Chunk) in 6: match I with 7:  $|[] \rightarrow cand$
- 8: | [cur::tail]  $\rightarrow$  (findfit tail sz (choice cur size cand));;

```
9: let rec FIT Lists sz = match Lists with

10: |[] \rightarrow \bot

11: |[cur::tail] \rightarrow let res = (findfit best cur sz <math>\bot) in

12: match res with

13: |\bot \rightarrow (fit tail sz)

14: |cur;;
```

# The FRACSE calculus (part 1)

	size(p	) = x FIT	$(\mathcal{H}.\mathcal{L},x) = l_1$							
		FREE(p)								
	$\Gamma'_a[I_1] \leftarrow \Gamma_a$	- 1								
$FIT(\mathcal{H}.\mathcal{L},x) = \mathit{l}_1$										
p = ALLOC(x)										
	$\Gamma'_a[I_1] \leftarrow \Gamma_a$	- 1								
siz	e(p) = x FI	$\mathbf{T}(\mathcal{H}.\mathcal{L},x) = l_1$	$\textbf{FIT}(\mathcal{H}.\mathcal{L},$	$x + e) = l_2$	_					
$p_2 = REALLOC(p_1, x + e)$										
$\Gamma_a'[l_1] \leftarrow \Gamma_a[l_1] - 1$	$\Gamma'_f[I_1] \leftarrow \Gamma_f$	$[l_1] + 1$	$\Gamma_a'[l_2] \leftarrow \Gamma_a[l_2] +$	- 1	$\Gamma_f'[l_2] \leftarrow \Gamma_f[l_2] - 1$					

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# The FRACSE calculus (part 2)

$size(p_1) = x_1$	si	$ze(p_2) = x_2$	$FIT(\mathcal{H}.\mathcal{L})$	$(x_1) = l_1$	$FIT(\mathcal{H})$	$\mathcal{C}, x_2) = l_2$	$FIT(\mathcal{H}.\mathcal{L},x_3)=\mathit{I}_3$				
$p_3 = COALLESCE(p_1, p_2)$											
	$\Gamma_f'[I_1] \not \leftarrow$	$-\Gamma_f[l_1] - 1$	$\Gamma_{f}'[I_{2}]$ ·	$\leftarrow \Gamma_f[l_2] - 1$		$\Gamma'_f[I_3] = \Gamma_f$	[/3] + 1				
size(p)	= x	$FIT(\mathcal{H}.\mathcal{L}, x) =$	<i>l</i> <sub>1</sub>	$FIT(\mathcal{H}.\mathcal{L}, x$	$- o) = k_{2}$	2	$FIT(\mathcal{H}.\mathcal{L},o) = l_3$				
(p1, p2) = SPLIT(p, o)											
$ADJ(p_1,$	p <sub>2</sub> )	$\Gamma'_f[l_1] \leftarrow \Gamma_f[l_1]$	] - 1	$\Gamma'_{f}[I_{2}] \leftarrow$	$\Gamma_{f}[l_{2}] + 1$	1	$\Gamma_f'[l_3] \leftarrow \Gamma_f[l_3] + 1$				
			FIT(≁	$l.\mathcal{L}, x) = l$							
p = EXTEND(x)											
		ADJ(Top, p)	Γ <sub>f</sub> [/]	$\leftarrow \Gamma_f[l] + 1$		$Top \leftarrow p$					

# Pitfalls

- There can be multiple heaps (ex: one per thread). Heap selection is not defined in the FRACSE semantics. As FIT uses a heap parameter, it can handle multiple heaps easily.
- There can be multiple allocators within a process (ex: Windows front-end / back-end) driven by an **activation heuristic** for each bucket size. Adding such activation heuristic is a reasonable extension.
- FRACSE uses *lists*, some allocators use *arrays* (ex: JEMalloc)
- Heap meta-data is abstracted by design. Some exploit techniques still rely on meta-data corruption. We argue that due to internal checks in allocators, heap meta-data corruption as an exploit technique is dying.
- Non-deterministic heap behavior is not covered (ex: Die Hard allocator randomization, LFH subsegment randomization, etc). We need a probabilistic semantics to define this.
- This presentation only covers user-land heap allocators, no kernel heap allocator.

# Summing up

- This work may be the first attempt at reconciling the physical and logical formal semantics of heap allocators.
- Heap allocator implementations are so different that making generic heap analysis is a challenge.
- However, we can distinguish some common functionalities (split/coallesce/extend operations, list-based abstraction, heap selection, etc).
- Focusing on targeting user data and using a heap layout abstraction seems like the only generic way of exploiting the heap.
- FRACSE implementation is still going on. Its calculus may evolve based on experiments.

#### Thanks for attending!

Questions?

Mail: julien.vanegue@gmail.com Twitter: @jvanegue

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(Some) Related work on user-land allocators

- 1. Smashing C++ VPTRS (Eric Landuyt)
- 2. VuDo Malloc tricks (Michel Kaempf)
- 3. Once upon a free (Scut)
- 4. Advanced DLMalloc Exploits (JP)
- 5. Malloc Maleficarum (Phantasmal Phantasmagoria)
- 6. The use of set\_head to defeat the wilderness (g463)
- 7. Heap Feng Shui (Alex Sotirov)
- 8. Understanding the Low Fragmentation Heap (Chris Valasek)
- 9. The House Of Lore : PTmalloc exploitation (blackngel)
- 10. Pseudomonarchia Jemallocum (argp and huku)
- 11. Project Heapbleed (Patroklos Argyroudis)